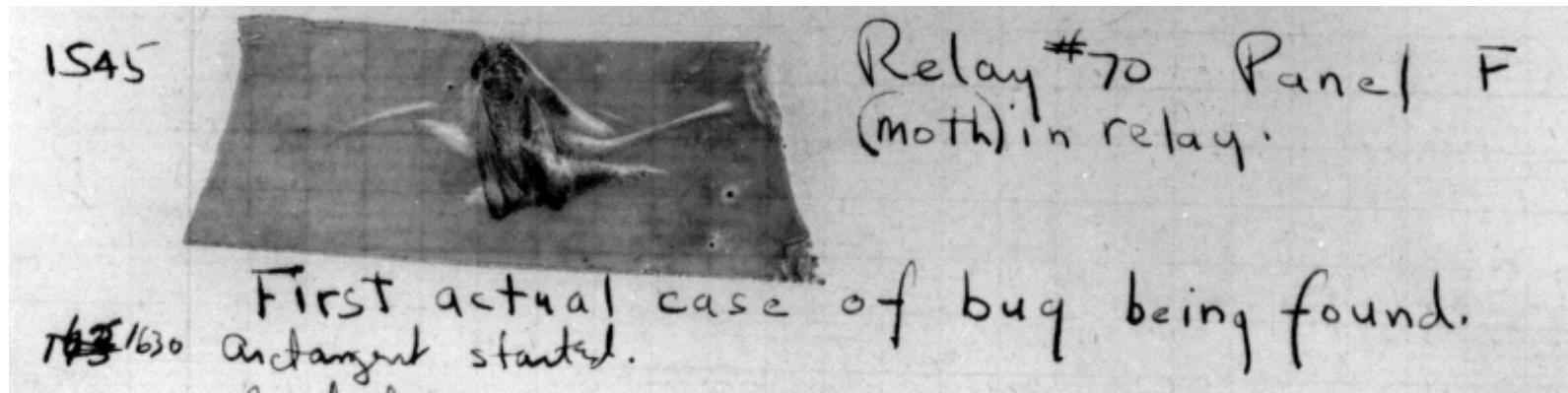


Programm- und Systemverifikation

184.741

Vorlesung: H. Veith G. Weissenbacher I. Konnov

Der erste Bug



Gefunden von einem Techniker im Harvard Mark II Rechner am 9. September, 1947. Heute ausgestellt im Smithsonian Museum, Washington

A problem has been detected and Windows has been shut down to prevent damage to your computer.

DRIVER_IRQL_NOT_LESS_OR_EQUAL

If this is the first time you've seen this Stop error screen, restart your computer. If this screen appears again, follow these steps:

Check to make sure any new hardware or software is properly installed. If this is a new installation, ask your hardware or software manufacturer for any Windows updates you might need.

If problems continue, disable or remove any newly installed hardware or software. Disable BIOS memory options such as caching or shadowing. If you need to use Safe Mode to remove or disable components, restart your computer, press F8 to select Advanced Startup Options, and then select Safe Mode.

Technical information:

*** STOP: 0x000000D1 (0x0000000C, 0x00000002, 0x00000000, 0xF86B5A89)

*** gv3.sys - Address F86B5A89 base at F86B5000, DateStamp 3dd991eb

Beginning dump of physical memory

Physical memory dump complete.

Contact your system administrator or technical support group for further assistance.

A problem has been detected and Windows has been shut down to prevent damage to your computer.

DRIVER_IRQL_NOT_LESS_OR_EQUAL

If this is the first time you've seen this Stop error screen, restart your computer. If this screen appears again, follow these steps:

Check to make sure any new hardware or software is properly installed. If this is a new installation, ask for any Windows updates you might

If problems continue, disable or remove new hardware or software. Disable BIOS memory options if necessary. If you need to use Safe Mode to remove or disable components, restart your computer, press F8 to select Advanced Startup Options, and then select Safe Mode.

Technical information:

*** STOP: 0x000000D1 (0x0000000C, 0x00000002, 0x00000000, 0xF86B5A89)

*** gv3.sys - Address F86B5A89 base at F86B5000, DateStamp 3d0f91eb

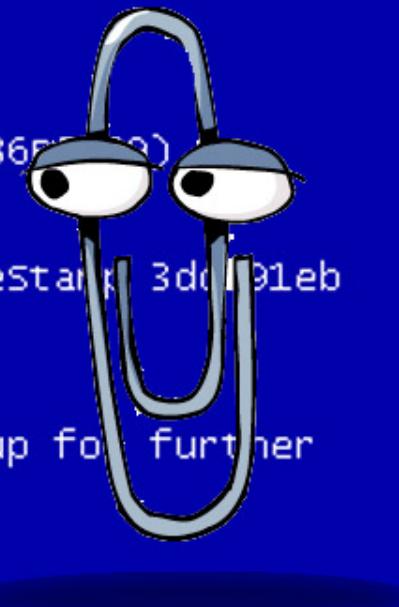
Beginning dump of physical memory

Physical memory dump complete.

Contact your system administrator or technical support group for further assistance.

Looks like you want to know what

DRIVER_IRQL_NOT_LESS_OR_EQUAL means ...



Software Verifikation: Wozu?

Meine Fluginformation



F16 (Nördliche Hemisphäre)



F16 (Südliche Hemisphäre)



Software Verifikation: Wozu?



Ariane 5 – flight 501



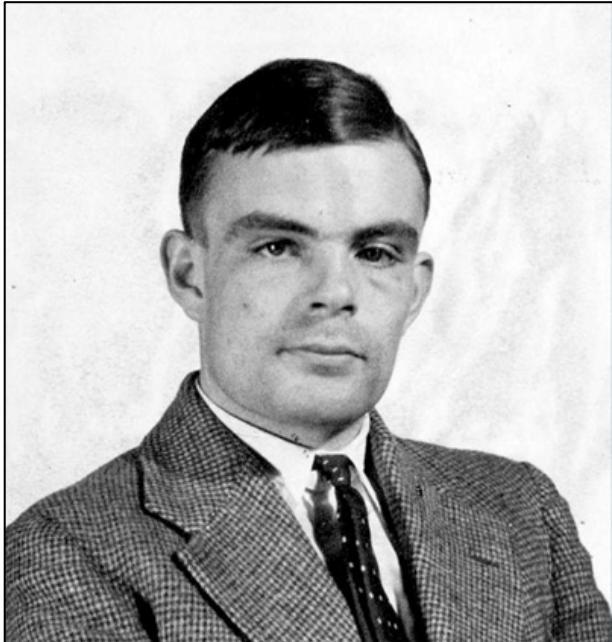
“Northeastern Blackout” 2003



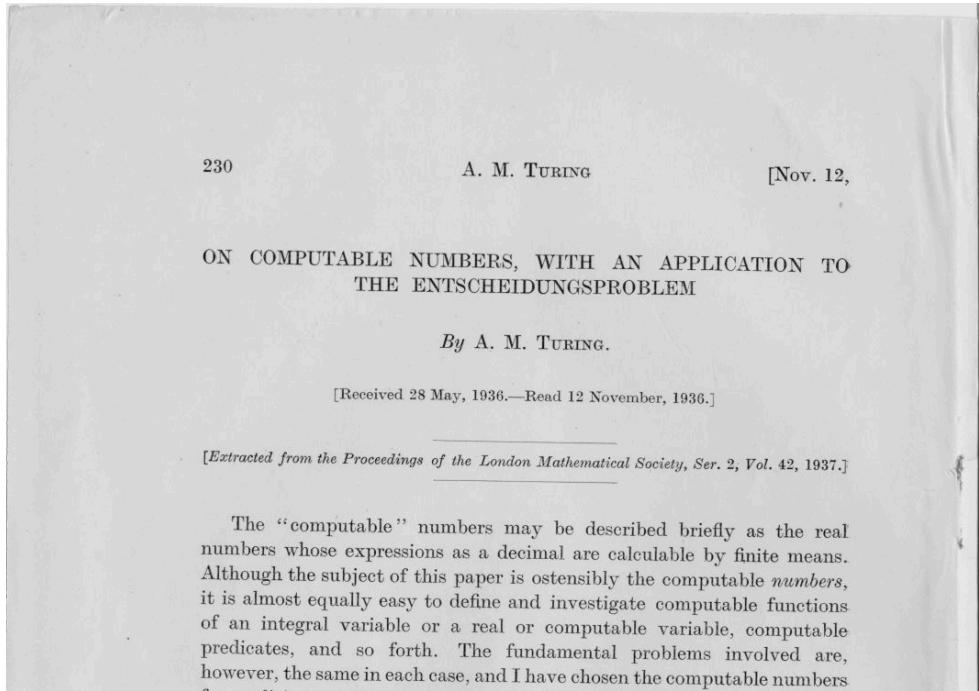
Therac-25 Vorfall

Können wir solche Fehler verhindern?

Automatisierte Fehlersuche?

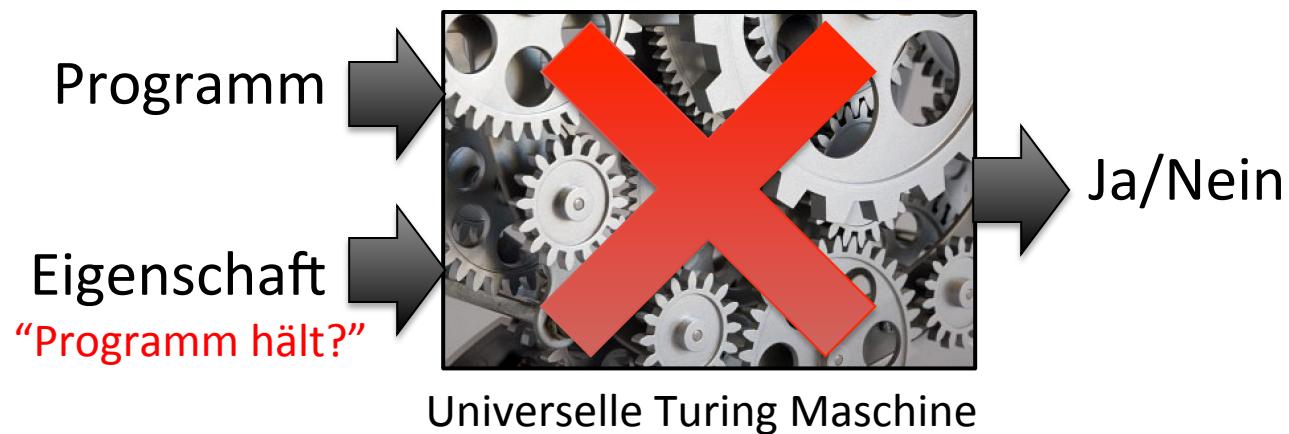


A. Turing (1912-1954)

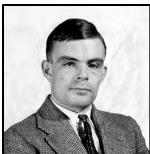


The “computable” numbers may be described briefly as the real numbers whose expressions as a decimal are calculable by finite means. Although the subject of this paper is ostensibly the computable numbers, it is almost equally easy to define and investigate computable functions of an integral variable or a real or computable variable, computable predicates, and so forth. The fundamental problems involved are, however, the same in each case, and I have chosen the computable numbers

Automatisierte Fehlersuche?



Mission impossible...



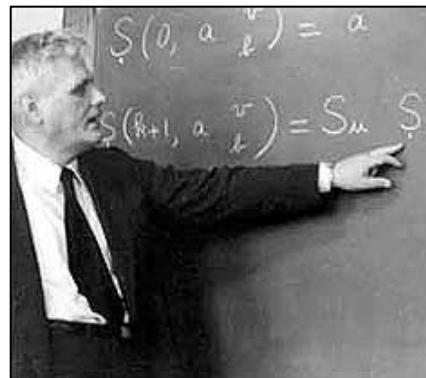
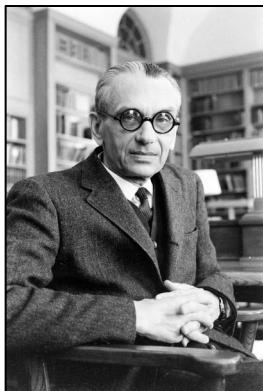
A. Turing

1936 | Halting
Problem

1912

2012

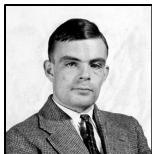
Fehler automatisch finden?



Alonzo Church, 1936:
*An Unsolvable Problem of
Elementary Number Theory*

Kurt Gödel, 1931:
*Über formal unentscheidbare Sätze der
Principia Mathematica und verwandter Systeme*

Mission Impossible...



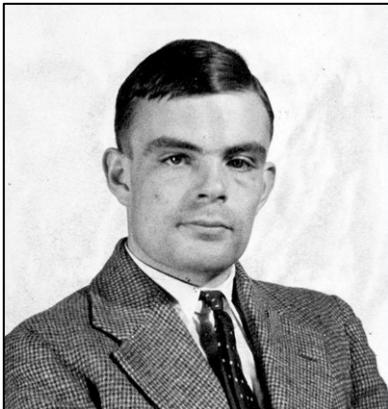
A. Turing

1912

1931 | 1936 | Halting
Problem

2012

“Software” im 2. Weltkrieg



Herman Goldstine
J. Robert Oppenheimer
John von Neumann



A. Turing

1912

1931

1936 | Halting
Problem

2012

ECP

Report on the Mathematical aspects of an

PLANNING AND CODING OF PROBLEMS
FOR AN
ELECTRONIC COMPUTING INSTRUMENT

BY

Herman H. Goldstine

John von Neumann

Report on the Mathematical and Logical aspects of an
Electronic Computing Instrument

Part II, Volume 1-3

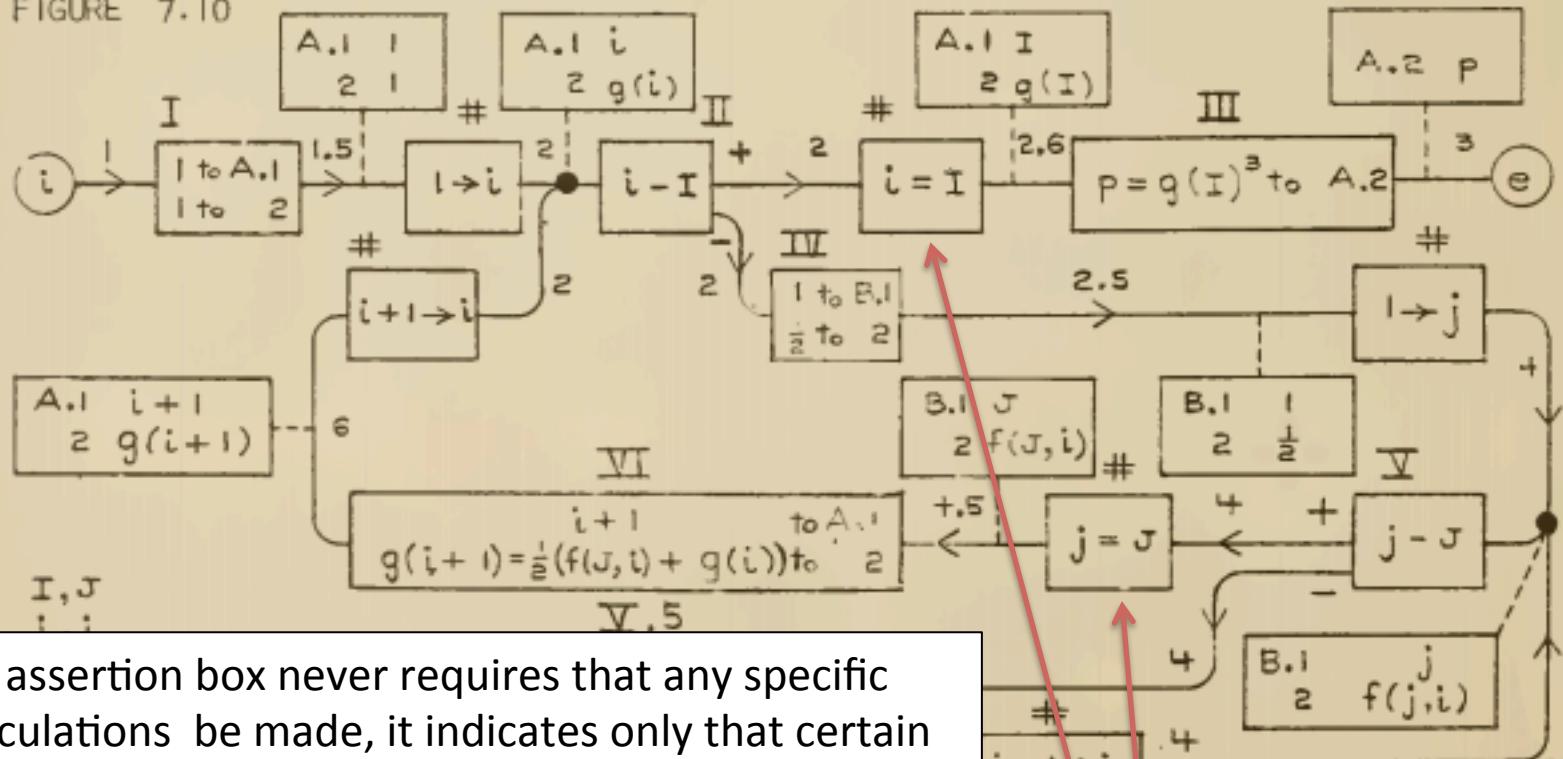
A. Turing

1912

1931 1936 Halting
 Problem 1947

2012

FIGURE 7.10



An assertion box never requires that any specific calculations be made, it indicates only that certain relations are automatically fulfilled whenever C gets to the region which it occupies.

$$f(i, i) = \frac{1}{2}, \quad f(j+1, i) = (f(j, i))^2 - f(j, i) \cdot g(i).$$

assertion boxes

A. Turing

1931 | 1936 | Halting Problem 1947

1912

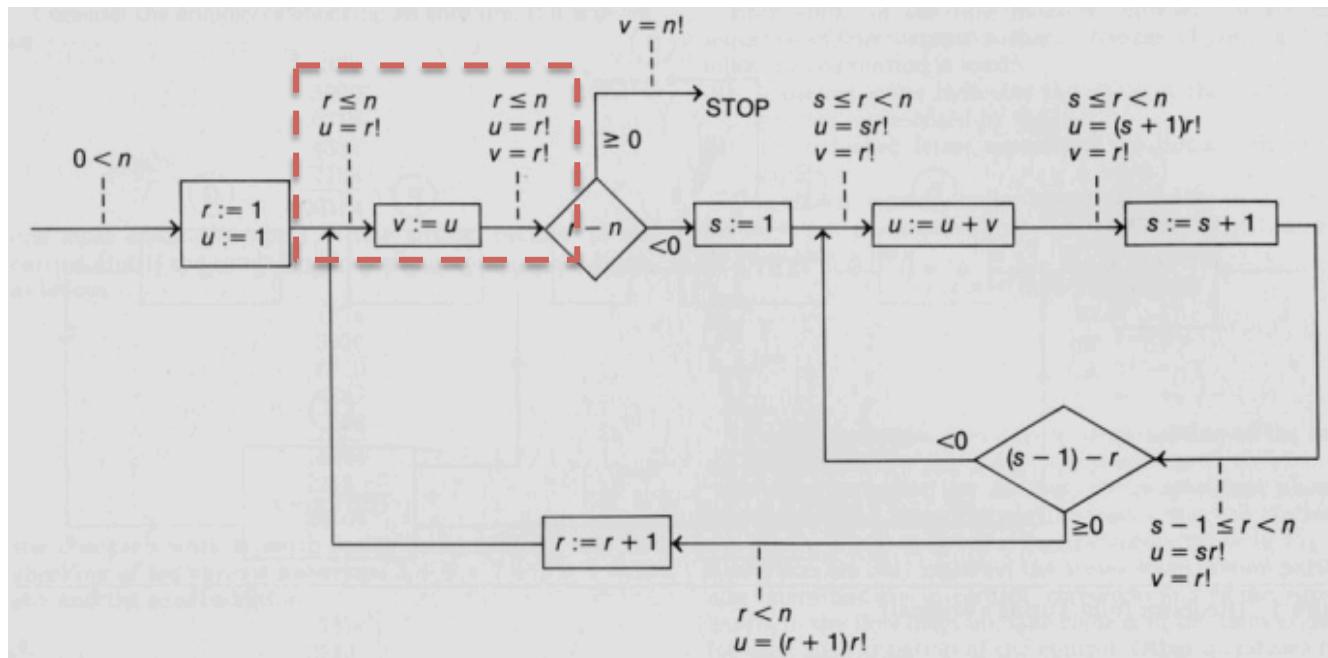
2012

Friday, 24th June.

Checking a large routine. by Dr. A. Turing.

How can one check a routine in the sense of making sure that it is right?

In order that the man who checks may not have too difficult a task the programmer should make a number of definite assertions which can be checked individually, and from which the correctness of the whole programme easily follows.



A. Turing

1931 | 1936 | Halting Problem | 1947 | Assertions

1912

2012

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In order that the man who checks may not have too difficult a task the programmer should make a number of definite assertions which can be checked individually, and from which the correctness of the whole programme easily follows.

der Programmierer sollte eine Reihe eindeutiger Behauptungen („assertions“) machen, die unabhängig voneinander überprüft werden können...

Kurze Umfrage:

- ✓ Wer von Ihnen programmiert?
- ✓ Wer weiß, was „Assertions“ sind?
- ✓ Wer verwendet Assertions?

A. Turing

1912

1931 | 1936 | Halting Problem | 1947 | 1949 | Assertions

Assertions in



2012

Automatisierte Fehlersuche?

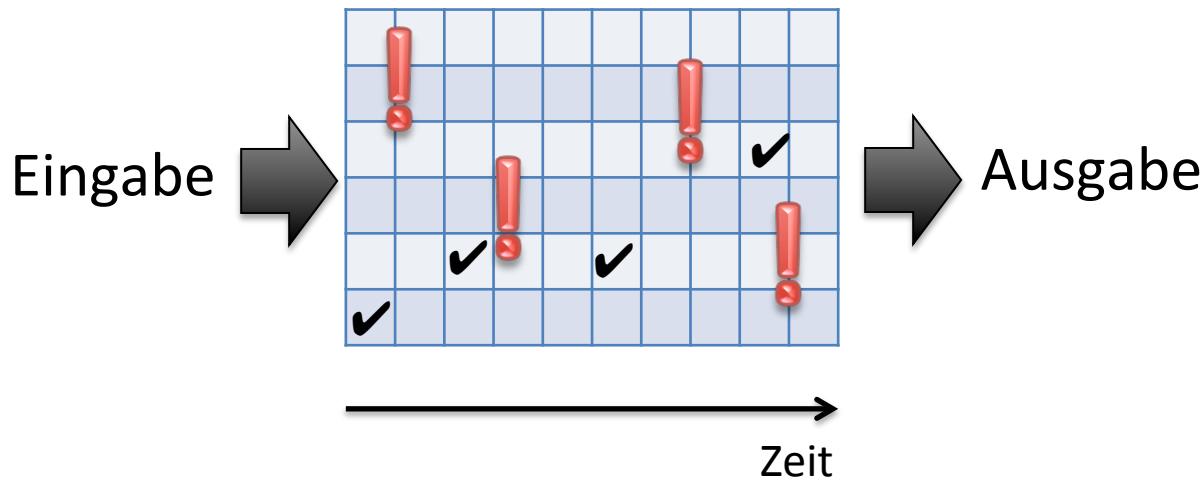


A. Turing
1912

1931 | 1936 Halting Problem | 1947 | 1949 Assertions

Assertions in
Java
2001 | 2012

Automatisierte Fehlersuche?

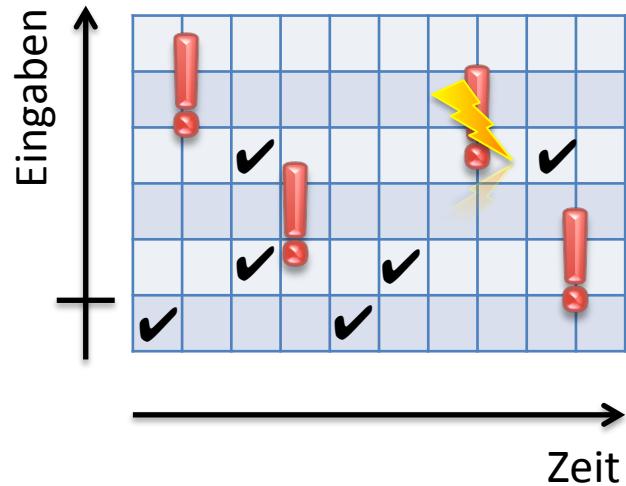


A. Turing
1912

1931 | 1936 | Halting Problem | 1947 | 1949 | Assertions

Assertions in
Java
2001 | 2012

Automatisierte Fehlersuche?

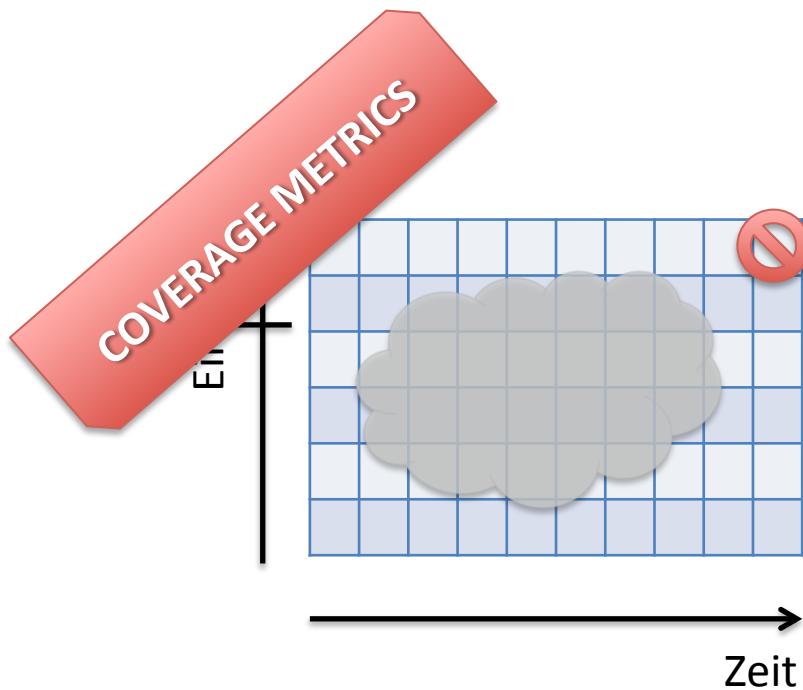


A. Turing
1912

1931 | 1936 Halting Problem | 1947 | 1949 Assertions

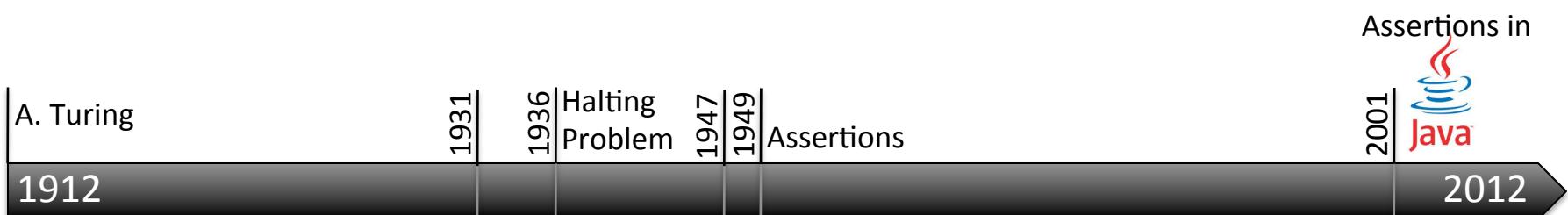
Assertions in
Java
2001 | 2012

Automatisierte Fehlersuche?

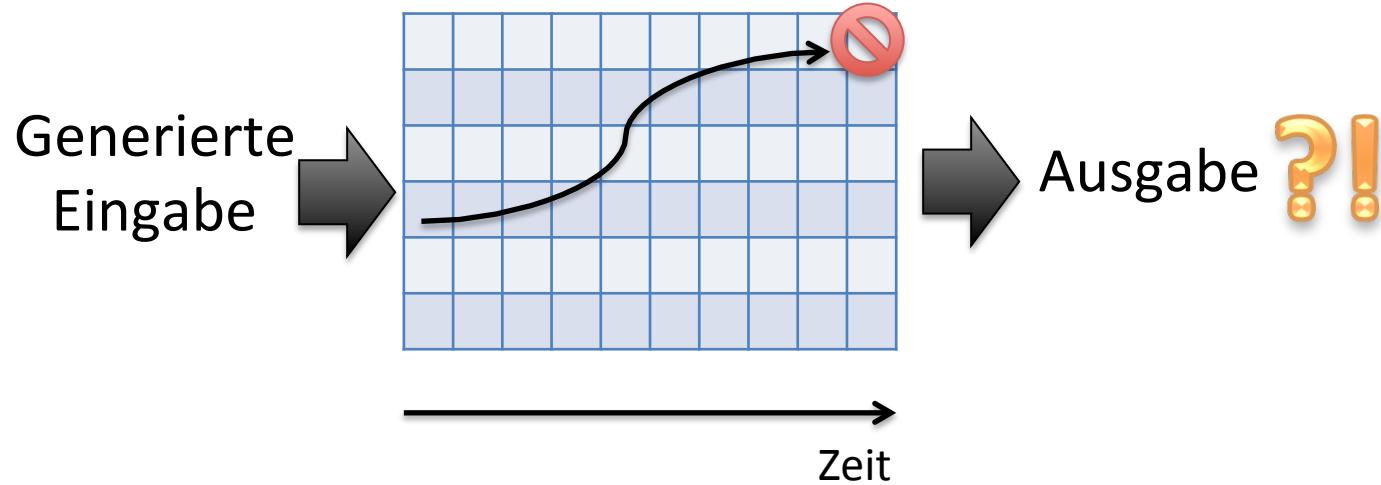


Kurze Umfrage:

- ✓ Wer von Ihnen testet (systematisch)?
- ✓ Welche Coverage Metriken kennen Sie?



Automatisierte Testfallgenerierung

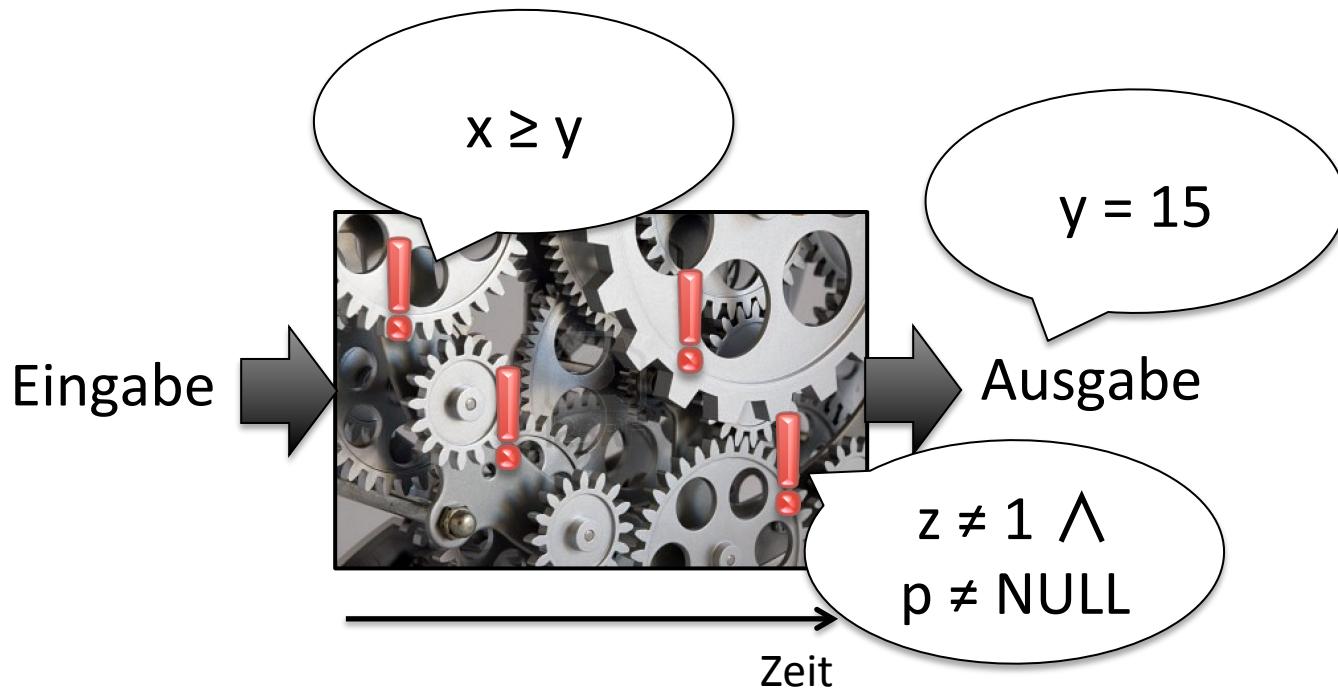


Vorlesungsinhalte

- Teil 1: Testen und Test-Tools
 - Assertions und Coding Styles
 - Coverage Kriterien und Metriken
 - Testfallgenerierung

} März

Spezifikationen/Assertion Languages



A. Turing

1912

1931

1936
Halting
Problem

1947

1949
Assertions

Assertions in



2001

2012

Spezifikationen und Assertions

$x \geq y$

$y = 15$

Kurze Umfrage:

- ✓ **Wann** müssen Assertions halten?
- ✓ Wenn alle Assertions halten, ist das Programm korrekt?

$z \neq 1 \wedge$
 $p \neq \text{NULL}$

A. Turing

1912

1931

1936
Halting
Problem

1947

1949
Assertions

Assertions in



2001

2012

Spezifikationen und Assertions

$x \geq y$

$y = 15$

Noch eine Umfrage:

- ✓ In **welcher Sprache** sind Assertions geschrieben?
- ✓ Was kann man mit Assertions **nicht** ausdrücken?

$z \neq 1 \wedge$
 $p \neq \text{NULL}$

A. Turing

1912

1931

1936
Halting
Problem

1947

1949
Assertions

Assertions in



2001

2012

Spezifikationen/Assertion Languages



A. Turing

1912

1931

1936
Halting
Problem

1947

1949
Assertions

Assertions in



2001

2012

Spezifikationen/Assertion Languages

Wenn REQ=1 dann
folgt irgendwann ACK=1



Umfrage:

- ✓ Wie kann diese Assertion verletzt werden?
- ✓ Können wir das durch Testen feststellen?

Amir Pnueli, 1977:
Linear Temporal Logic

A. Turing

1912

1931

1936
Halting
Problem

1947

1949
Assertions

1977

LTL

2012

Spezifikationen/Assertion Languages

Wenn REQ=1 dann
folgt irgendwann ACK=1



A. Turing

1912

1931

1936
Halting
Problem

1947

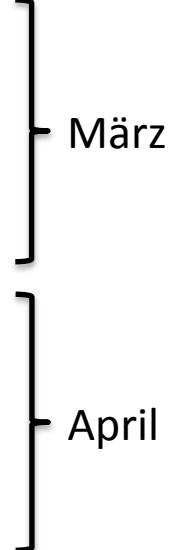
1949
Assertions

1977

LTL

2012

Vorlesungsinhalte

- Teil 1: Testen
 - Assertions und Coding Styles
 - Coverage Kriterien und Metriken
 - Testfallgenerierung
 - Teil 2: Tools aus der Logik
 - Aussagenlogik (und SAT Solver)
 - Prädikatenlogik (und SMT Solver)
 - Temporallogik
- 

Model Checking



- Idee:
 - Assertions in **Temporaler Logik** für Programme mit endlichem Zustandsraum verifizierbar
 - → Modelle statt Programme
 - Alle erreichbaren Zustände durchsuchen!
 - Funktioniert auch für nebenläufige Modelle

Edmund Clarke (Dr.hc. TU)
Allen Emerson
Joseph Sifakis



State Space Explosion

Symbolic Model Checking

- Idee:
 - Zustände durch Formeln darstellen (eigentlich Binary Decision Diagrams)
 - Implementierung: **SMV** Model Checker



Ken McMillan

$$x \vee y$$

X	Y
0	1
1	0
1	1



Partial Order Reduction



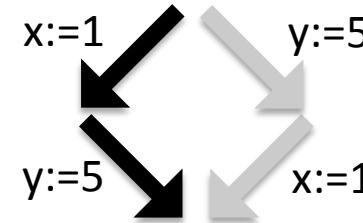
Peled



Godefroid



Valmari



G. Holzmann

A. Turing

1912

1931

1936
Halting
Problem

1947

1949
Assertions

1977
LTL

1981
MC

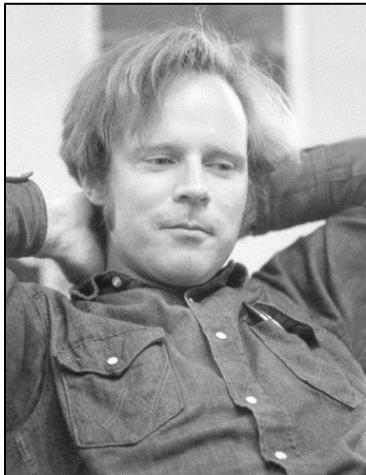
1990
Parial order
reduction

2012

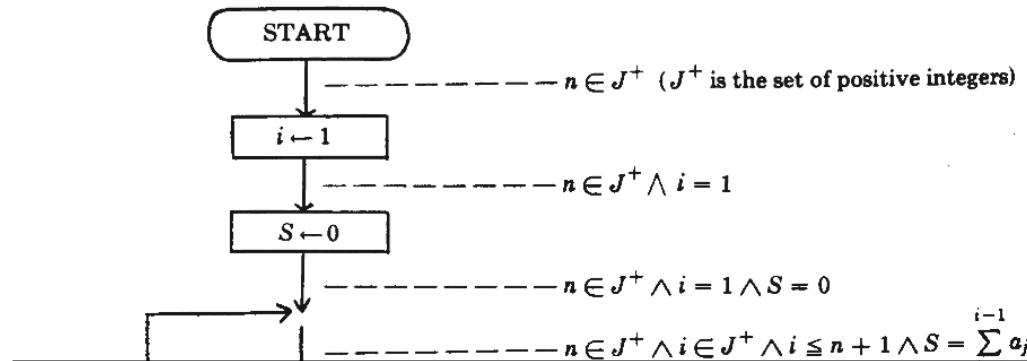
Vorlesungsinhalte

- Teil 1: Testen
 - Assertions und Coding Styles
 - Coverage Kriterien und Metriken
 - Testfallgenerierung
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 - Aussagenlogik (und SAT Solver)
 - Prädikatenlogik (und SMT Solver)
 - Temporallogik
 - Teil 3: Verifikation von Modellen
 - SMV (symbolisches Model Checking)
 - SPIN (Partial Order Reduction)
-
- ```
graph LR; A[Teil 1: Testen] --- B[Assertions und Coding Styles]; A --- C[Coverage Kriterien und Metriken]; A --- D[Testfallgenerierung]; E[Teil 2: Tools aus der Logik] --- F[Aussagenlogik (und SAT Solver)]; E --- G[Prädikatenlogik (und SMT Solver)]; E --- H[Temporallogik]; I[Teil 3: Verifikation von Modellen] --- J[SMV (symbolisches Model Checking)]; I --- K[SPIN (Partial Order Reduction)]; B --- C --- D --- E --- F --- G --- H --- J --- K; E --- I; E --- I; E --- I;
```

# Assertions und Programmsemantik



Robert W. Floyd



"Then, by induction on the number of commands executed, one sees that if a program is entered by a connection whose associated proposition is then true, it will be left (if at all) by a connection whose associated proposition will be true at the time. By this means, we may prove certain properties of programs, [...]

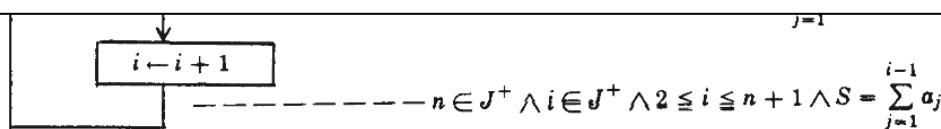


FIGURE 1. Flowchart of program to compute  $S = \sum_{j=1}^n a_j$  ( $n \geq 0$ )

A. Turing

1912

1931

1936  
Halting  
Problem

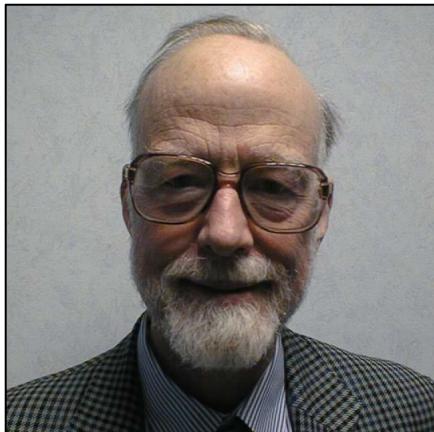
1947

1949  
Assertions

1967

2012

# Floyd-Hoare Logik: Axiome für Programme



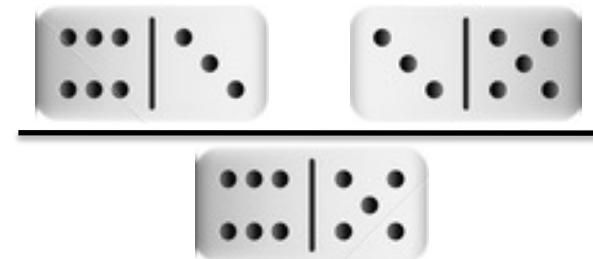
Sir C.A.R. Hoare

Instruktion  
↓  
 $\{ P \} S \{ Q \}$   
↑ Vorbedingung      ↑ Nachbedingung

$$\frac{}{\{ Q[x/e] \} x := e \{ Q \}}$$

$$\frac{\{ P \} S \{ Q \} \quad \{ Q \} T \{ R \}}{\{ P \} S ; T \{ R \}}$$

$$\frac{}{\{ x = 1 \} y := 1 \{ x = y \}}$$



A. Turing

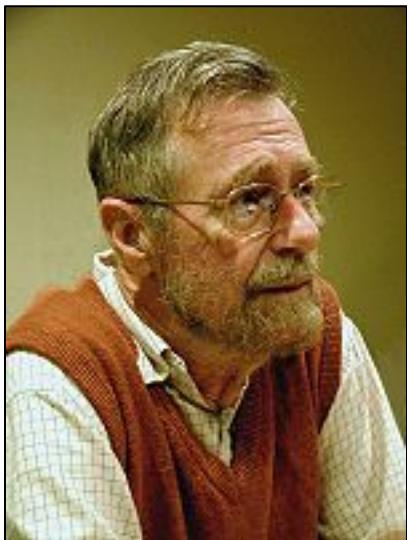
1912

1931 | 1936 | Halting Problem    1947 | 1949 | Assertions

1967 | 1969 | Hoare Logic

2012

# Dijkstra's Prädikatenkalkül



Edsger W. Dijkstra

Welchen *Effekt* hat eine Instruktion auf eine Assertion?

$$\{ x < 10 \} x := x + 1 \{ ? \}$$

$$\begin{aligned} \text{sp}(x := E, P) = \\ \exists x_0. \ x = E[x/x_0] \wedge P[x/x_0] \end{aligned}$$

$$\begin{aligned} \text{sp}(x := x+1, x < 10) = \\ \exists x_0. (x = x_0 + 1) \wedge (x_0 < 10) \end{aligned}$$

“vorheriger” Wert von x

A. Turing

1912

1931

1936  
Halting  
Problem

1947

1949  
Assertions

1967

1969  
Hoare  
Logic

1975

2012

# Bounded Model Checking (BMC)

- Automatisches Beweisen von Korrektheit lt. Turing nicht möglich!
- Aber: Können mit Hoare Logik und symbolischer Simulation Programme bis zu beschränkter Anzahl von Schritten simulieren.
- Tool: C Bounded Model Checker **CBMC**
  - Für Fehlersuche in ANSI-C Programmen



Daniel Kröning (Oxford)



# Vorlesungsinhalte

- Teil 1: Testen
    - Assertions und Coding Styles
    - Coverage Kriterien und Metriken
    - Testfallgenerierung
  - Teil 2: Tools aus der Logik
    - Aussagenlogik (und SAT Solver)
    - Prädikatenlogik (und SMT Solver)
    - Temporallogik
  - Teil 3: Verifikation von Modellen
    - SMV (symbolisches Model Checking)
    - SPIN (Partial Order Reduction)
  - Teil 4: Verifikation von Programmen
    - Einführung Hoare Logik
    - Bounded model Checking von C Programmen
- 
- The diagram consists of a vertical bracket on the right side of the slide, spanning from the middle of the first section to the bottom of the last section. The bracket is divided into four horizontal segments by three vertical tick marks. To the right of each segment, the corresponding month is written: 'März' for the first segment, 'April' for the second, 'Mai' for the third, and 'Ende Mai' for the fourth.

# Vorlesungsmodus

- 6 ECTS (4.5 Stunden)
- Nächste Vorlesung: **5. März 2015** (siehe TISS)
- VU: Vorlesung mit Übung
  - Anwendung von Verifikations- und Testwerkzeugen,
  - theoretische Aufgabenblätter
  - Übungsabgaben werden bewertet, Teil der Note (50%)
  - Voraussichtlich **5 bis 6 Übungsabgaben**
    - Assertions: Ausgabe 18./19. März, Abgabe Anfang April
    - Coverage/Test Case Generation: Ausgabe 25./ 26. März, Abgabe nach Ostern
    - Logik/SAT/SMT: Ausgabe 15./16. April, Abgabe Anfang Mai
    - Temporal Logic & Model Checking
    - Hoare Logik/BMC: Ausgabe 20/21. Mai, Abgabe Anfang/Mitte Juni
- Prüfung
  - Voraussichtlich Mitte Juni 2015 (17. oder 18. Juni)